



## Bounded Retransmission Protocol

We have the following variables  $(v_i)$  with their domains  $(D_i)$ 

- l : List[Data]
- max : Nat
- state : State (= {Ready, Sending, Waiting})
- status : Status  $(= \{OK, NOK, DK\})$
- buf : Data

Example states (for convenience, take Data = Nat):

- $(l \mapsto [3, 4], max \mapsto 5, state \mapsto \mathsf{Sending}, status \mapsto OK, buf \mapsto 3)$
- $(l \mapsto [4], max \mapsto 0, state \mapsto Waiting, status \mapsto NOK, buf \mapsto 4)$



- $Start\_new\_transmission \lor Send\_next\_element$
- $\lor$  Get acknowledgement  $\lor$  Timeout and retry
- $\lor$  Timeout\_and\_give\_up

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# Bounded Retransmission Protocol

- The Kripke Structure underlying the BRP specification is infinite
- The control-aspects of the system can be studied by model checking by abstracting from the data and the counter (a finite abstraction is needed)
- Abstract domains:
  - $A_{\text{List}} := \{empty, non\_empty\}$   $A_{\text{Nat}} := \{\cdot\}$

  - $A_{\mathsf{Data}} := \{\cdot\}$
  - A<sub>State</sub> := State
  - A<sub>Status</sub> := Status
- Abstraction mapping:
  - $h(n:Nat) = h(d:Data) = \cdot$
  - $h([]) = empty, h(x \vdash l) = non empty$
  - h(s:State) = s, h(s:Status) = s

Technische Universiteit **Sof Bastroct**nlabels AP: p.g. ( Leiwernit\_oklath; while = ., state = waiting, etcetera.

• Labels in L':

 $L'((l \mapsto [3, 4], max \mapsto 5, state \mapsto \mathsf{Sending}, status \mapsto OK, buf \mapsto 3))$ =  $(\widehat{l} \mapsto non \ empty, \widehat{max} = \cdot, \widehat{state} = \mathsf{Sending}, \widehat{status} = OK, \widehat{buf} = \cdot)$ 

• So, we can still express properties like:

A G ( $\widehat{status} = OK \longrightarrow \widehat{l} = empty$ )





### Bounded Retransmission Protocol

### Abstract specification of the Bounded Retransmission Protocol:

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- Initial states:  $S_0 := (\widehat{state} = \mathsf{Ready})$
- Transitions:
  - Start new transmission :=  $\widehat{state} = \mathsf{Ready} \land \widehat{state'} = \mathsf{Sending}$
  - Send next element :=
  - $\widehat{state} = \text{Sending} \land \widehat{state'} = \text{Waiting} \land \widehat{l'} = \widehat{l}$
  - 3 Get acknowledgement :=
  - $\widehat{state} = \mathsf{Waiting} \land ((\widehat{l'} = empty \land \widehat{state'} = \mathsf{Ready} \land \widehat{status'} = OK) \lor (\widehat{l'} = OK)$ non  $empty \land \widehat{state'} = Sending)$
  - $\bigcirc$  Timeout and retry :=
  - $\widehat{state} = \mathsf{Waiting} \land \widehat{state'} = \mathsf{Sending} \land \widehat{l} = \widehat{l'}$
  - Timeout and give up :=
  - $\widehat{state} = \mathsf{Waiting} \land \widehat{state'} = \mathsf{Ready} \land ((\widehat{status'} = DK \land \widehat{l} = empty) \lor (\widehat{status'} = DK \land \widehat{l} = empty) \lor (\widehat{status'} = DK \land \widehat{l} = empty) \lor (\widehat{status'} = empty) \lor (\widehat{st$  $NOK \wedge l = non \ empty))$
- The full transition relation  $\mathcal{R}$  is defined as:
  - $Start \ new \ transmission \lor Send \ next \ element$
  - $\lor$  Get acknowledgement  $\lor$  Timeout and retry
  - $\lor$  Timeout and give up

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## Bounded Retransmission Protocol

Informal sketch of the abstract behaviour of the BRP:

