

## DYNAMIC BIPARTITE MATCHING MODELS

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Matching models arise in many applications, such as healthcare, transportation, and energy. We consider a bipartite matching queueing model, where customers and servers play symmetrical roles. There is a finite set  $C$ , resp.  $S$ , of customer, resp. server, classes. Time is discrete and at each time step, one customer and one server arrive in the system according to a joint probability measure  $\mu$  on  $C \times S$ , independently of the past. Also, at each time step, pairs of *matched* customer and server, if they exist, depart from the system. Authorized *matchings* are given by a fixed bipartite graph. A *matching policy* decides how to match when there are several possibilities. Customers/servers that cannot be matched are stored in a buffer. The evolution of the model can be described by a discrete time Markov chain. We study this model under various admissible matching policies including: ML (Match the Longest), MS (Match the Shortest), FIFO (match the oldest), RANDOM (match uniformly), and PRIORITY.