1. Jobs arrive at two parallel machines, each with its own buffer, according to a Poisson stream with a rate of 10 jobs per hour. The processing times are exponential with a mean of 4 minutes on machine 1 and 8 mintues on machine 2 . On arrival jobs are assigned with equal probability to the buffer of machine 1 or 2 .
(a) Determine the mean flow time (waiting time plus processing time) of a job sent to machine 1 , sent to machine 2 , and also of an arbitrary job.
(b) Determine the fraction of jobs with a flow time longer than 30 minutes.
(c) Suppose that arriving jobs are sent with probability $p$ to machine 1 and with probability $1-p$ to machine 2 . For which $p$ is the mean flow time of an arbitrary job minimal?
