

Public key cryptosystems based on algebraic geometry codes

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Abstract

This is a report on the McEliece public key cryptosystem based on algebraic geometry codes. In [3, 4] it is explained how a representation $(\mathcal{Y}, \mathcal{Q}, F)$ is retrieved efficiently from a generator matrix of the algebraic geometry code $\mathcal{C}_L(\mathcal{X}, \mathcal{P}, E)$ for a given curve \mathcal{X} , an n -tuple \mathcal{P} of points on the curve and a divisor E . This result is not sufficient to obtain a polynomial attack on the public key cryptosystem based on these codes. In [1] a polynomial time attack is given using the idea of an error correcting pair [5]. It runs in $O(n^4)$ elementary operations in \mathbb{F}_q , where n denotes the code length. Compared to previous attacks, it allows to recover a decoding algorithm for the public key even for codes from high genus curves. Recently the attack was extended to subcodes of algebraic geometry codes [2]. The problem for subfield subcodes of algebraic geometry codes is still open.

Joint work with Alain Couvreur, Irene Márquez-Corbella, Edgar Martínez-Moro and Diego Ruano. See [1, 3, 4].

References

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