

2011g - FAI - 3 :

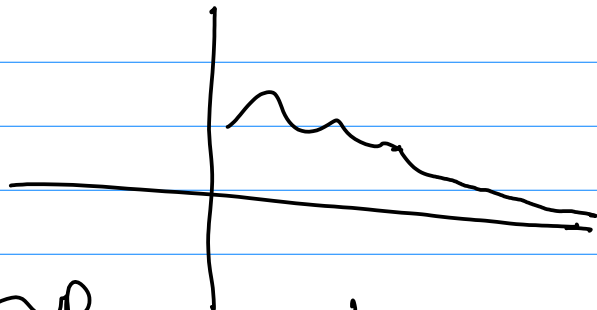
→ Questions? Let hear! about theory or exercises doesn't matter.

(2.3) (2) \rightarrow in $C_0(\mathbb{C}l^s)$

conv. seq. \rightarrow (R- in l^s) \rightarrow complete

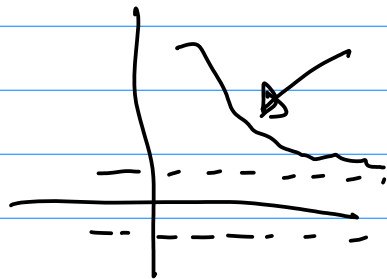
seq conv. in l^s

limit $\in C_0$?? \rightarrow



if $\lim_{n \rightarrow \infty} x_n \neq 0$ \leadsto

$\exists \epsilon > 0 \forall N \exists n > N \quad \underline{\|x_n\| > \epsilon}$



$x_n \notin C_0$

(by contradiction)